

# **COSE419: Software Verification**

## **Lecture 14 – Pointer Analysis**

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# Need for Pointer Analysis

- E.g., detecting memory errors in C programs

```
int main() {
    int a[10], int *p;
    int x, y;

    x = get_external();
    y = get_external();

    if (x >= 0) {
        if (x < 16) {
            if (y) {
                if (x >= 10)
                    return 0;
                a[x] = 1;
            }
            p = a;
            p[x] = 1;
        }
    }
}
```

# Pointer Analysis

- Pointer analysis computes the set of memory locations (objects) that a pointer variable may point to at runtime.
- One of the most important static analyses: all interesting questions about program properties need pointer analysis.
  - E.g., control-flows, data-flows, types, numeric values, etc

# Abstraction of Memory Objects

- Memory locations are unbounded:

```
def id (p): return p

def f():
    x = A()      // 11
    y = id(x)

def g():
    a = B()      // 12
    b = id(a)

while True: {f(); g()}
```

- In a typical pointer analysis, objects are abstracted into their **allocation-sites**. Pointer analysis result:

$$x \mapsto \{l_1\}, y \mapsto \{l_1\}, a \mapsto \{l_2\}, b \mapsto \{l_2\}, p \mapsto \{l_1, l_2\}$$

# cf) Flow Sensitivity

- A flow-sensitive analysis maintains abstract states separately for each program point: e.g.,

```
x = A()
y = id(x)
x = B()
y = id(x)
```

- Pointer analysis is often defined flow-insensitively

# Pointer Analysis in Datalog

- Pointer analysis is expressed as subset constraints. The analysis is to compute the smallest solution of the constraints. E.g.,

$$\begin{array}{lcl} x = A() \text{ // } 11 & \Rightarrow & \{l_1\} \subseteq pts(x) \\ y = x & & pts(x) \subseteq pts(y) \end{array}$$

- We use the Datalog language to express such constraints
- Datalog is a declarative logic programming language, which has application in database, information extraction, networking, program analysis, security, etc.

# Input and Output Relations

- A program is represented by a set of “facts” (relations):

$\text{Alloc}(var : V, heap : H)$

$\text{Move}(to : V, from : V)$

$\text{Load}(to : V, base : V, fld : F)$

$\text{Store}(base : V, fld : F, from : V)$

$V$ : the set of program variables

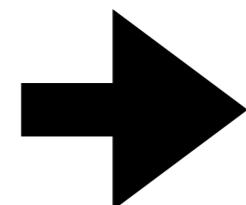
$H$ : the set of allocation sites

$F$ : the set of field names

- Output relations:  $\text{VarPointsTo}(var : V, heap : H)$

$\text{FldPointsTo}(baseH : H, fld : F, heap : H)$

```
a = A() // 11
b = B() // 12
c = a
a.f = b
d = c.f
```



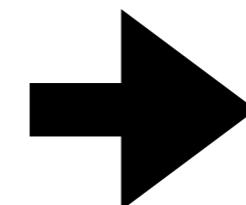
$\text{Alloc}(a, l_1)$

$\text{Alloc}(b, l_2)$

$\text{Move}(c, a)$

$\text{Store}(a, f, b)$

$\text{Load}(d, c, f)$



$\text{VarPointsTo}(a, l_1)$

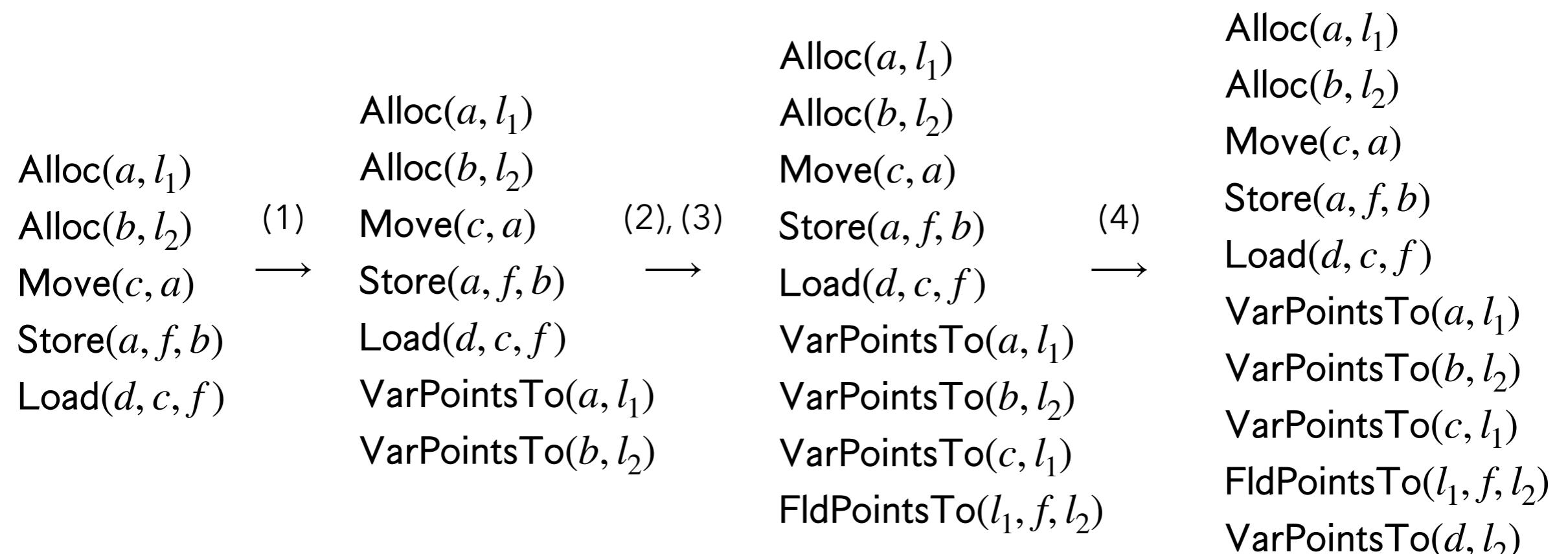
$\text{VarPointsTo}(b, l_2)$

$\text{VarPointsTo}(c, l_1)$

$\text{FldPointsTo}(l_1, f, l_2)$

$\text{VarPointsTo}(d, l_2)$

# Fixed Point Computation

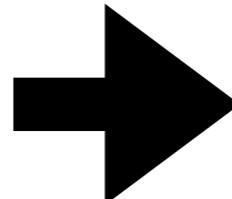


# Pointer Analysis Rules

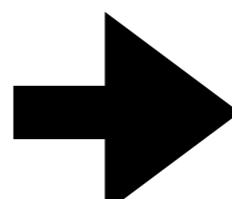
- (1)  $\text{VarPointsTo}(var, heap) \leftarrow \text{Alloc}(var, heap)$
- (2)  $\text{VarPointsTo}(to, heap) \leftarrow$   
 $\quad \text{Move}(to, from), \text{VarPointsTo}(from, heap)$
- (3)  $\text{FldPointsTo}(baseH, fld, heap) \leftarrow$   
 $\quad \text{Store}(base, fld, from), \text{VarPointsTo}(from, heap),$   
 $\quad \text{VarPointsTo}(base, baseH)$
- (4)  $\text{VarPointsTo}(to, heap) \leftarrow$   
 $\quad \text{Load}(to, base, fld), \text{VarPointsTo}(base, baseH),$   
 $\quad \text{FldPointsTo}(baseH, fld, heap)$

# Interprocedural Analysis (First-Order)

```
def f(p) : // m1
    return p
a = A()      // l1
b = f(a)     // l2
```



FormalArg( $m_1, 0, p$ )  
FormalReturn( $m_1, p$ )  
Alloc( $a, l_1, \text{global}$ )  
CallGraph( $l_2, m_1$ )  
Reachable( $\text{global}$ )  
Reachable( $m_1$ )  
ActualArg( $l_2, 0, a$ )  
ActualReturn( $l_2, b$ )



InterProcAssign( $p, a$ )  
InterProcAssign( $b, p$ )  
VarPointsTo( $a, l_1$ )  
VarPointsTo( $p, l_1$ )  
VarPointsTo( $b, l_1$ )

# Input and Output Relations

- Input relations (program representation)

$\text{Alloc}(var : V, heap : H, inMeth : M)$

$\text{Move}(to : V, from : V)$

$\text{Load}(to : V, base : V, fld : F)$

$\text{Store}(base : V, fld : F, from : V)$

$\text{CallGraph}(invo : I, meth : M)$

$\text{Reachable}(meth : M)$

$\text{FormalArg}(meth : M, i : \mathbb{N}, arg : V)$

$\text{ActualArg}(invo : I, i : \mathbb{N}, arg : V)$

$\text{FormalReturn}(meth : M, ret : V)$

$\text{ActualReturn}(invo : I, var : V)$

$V$ : the set of program variables

$H$ : the set of allocation sites

$F$ : the set of field names

$M$ : the set of method identifiers

$S$ : the set of method signatures

$I$ : the set of instructions

$T$ : the set of class types

$\mathbb{N}$ : the set of natural numbers

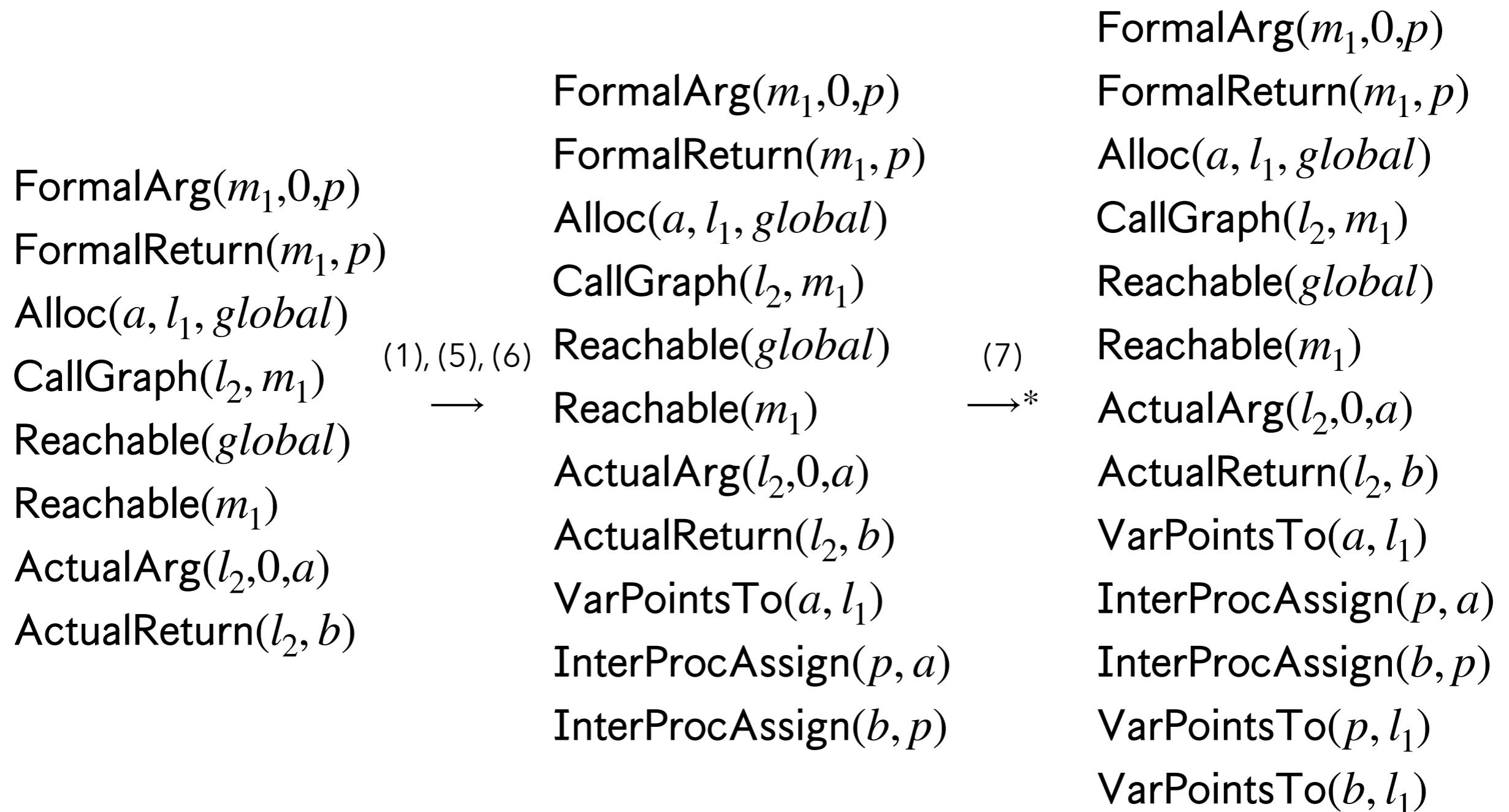
- Output relations

$\text{VarPointsTo}(var : V, heap : H)$

$\text{FldPointsTo}(baseH : H, fld : F, heap : H)$

$\text{InterProcAssign}(to : V, from : V)$

# Fixed Point Computation

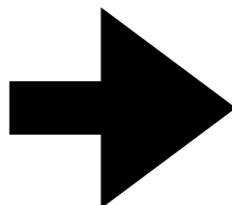


# Analysis Rules

- (1)  $\text{VarPointsTo}(var, heap) \leftarrow \text{Reachable}(meth), \text{Alloc}(var, heap, meth)$
- (2)  $\text{VarPointsTo}(to, heap) \leftarrow$   
 $\text{Move}(to, from), \text{VarPointsTo}(from, heap)$
- (3)  $\text{FldPointsTo}(baseH, fld, heap) \leftarrow$   
 $\text{Store}(base, fld, from), \text{VarPointsTo}(from, heap), \text{VarPointsTo}(base, baseH)$
- (4)  $\text{VarPointsTo}(to, heap) \leftarrow$   
 $\text{Load}(to, base, fld), \text{VarPointsTo}(base, baseH), \text{FldPointsTo}(baseH, fld, heap)$
- (5)  $\text{InterProcAssign}(to, from) \leftarrow$   
 $\text{CallGraph}(invo, meth), \text{FormalArg}(meth, n, to), \text{ActualArg}(invo, n, from)$
- (6)  $\text{InterProcAssign}(to, from) \leftarrow$   
 $\text{CallGraph}(invo, meth), \text{FormalReturn}(meth, from), \text{ActualReturn}(invo, to)$
- (7)  $\text{VarPointsTo}(to, heap) \leftarrow$   
 $\text{InterProcAssign}(to, from), \text{VarPointsTo}(from, heap)$

# Interprocedural Analysis (Higher-Order)

```
class C:  
    def id(self, v): // m1  
        return v
```



FormalArg( $m_1, 0, v$ )  
FormalReturn( $m_1, v$ )  
ThisVar( $m_1, self$ )  
LookUp( $C, id, m_1$ )

ThisVar( $m_2, self$ )  
LookUp( $B, g, m_2$ )  
Alloc( $c, l_1, m_2$ )  
Alloc( $s, l_2, m_2$ )  
Alloc( $t, l_3, m_2$ )  
HeapType( $l_1, C$ )  
HeapType( $l_2, D$ )  
HeapType( $l_3, E$ )

VarPointsTo( $b, l_6$ )  
Reachable( $m_2$ )

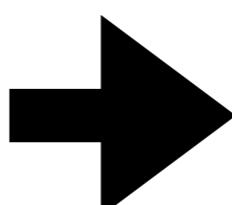
VarPointsTo( $self, l_6$ )  
CallGraph( $l_7, m_2$ )  
CallGraph( $l_8, m_2$ )

VarPointsTo( $c, l_1$ )  
VarPointsTo( $s, l_2$ )  
VarPointsTo( $t, l_3$ )

Reachable( $m_1$ )  
VarPointsTo( $self, l_1$ )

CallGraph( $l_4, m_1$ )  
CallGraph( $l_5, m_1$ )

```
class B:  
    def g(self): // m2  
        c = C()  
        // l1  
        s = D()  
        // l2  
        t = E()  
        // l3  
        d = c.id(s)  
        // l4  
        e = c.id(t)  
        // l5
```



VarPointsTo( $b, l_6$ )  
Reachable( $m_2$ )

VarPointsTo( $self, l_6$ )  
CallGraph( $l_7, m_2$ )  
CallGraph( $l_8, m_2$ )

VarPointsTo( $c, l_1$ )  
VarPointsTo( $s, l_2$ )  
VarPointsTo( $t, l_3$ )

Reachable( $m_1$ )  
VarPointsTo( $self, l_1$ )

CallGraph( $l_4, m_1$ )  
CallGraph( $l_5, m_1$ )

```
class A:  
    def f(self): // m3  
        b = B()  
        // l6  
        b.g()  
        // l7  
        b.g()  
        // l8
```

VCall( $c, id, l_4, m_2$ )  
VCall( $c, id, l_5, m_2$ )  
ActualArg( $l_4, 0, s$ )  
ActualArg( $l_5, 0, t$ )  
ActualReturn( $l_4, d$ )  
ActualReturn( $l_5, e$ )  
ThisVar( $m_3, self$ )  
LookUp( $A, f, m_3$ )  
Alloc( $b, l_6, m_3$ )  
HeapType( $l_6, B$ )  
VCall( $b, g, l_7, m_3$ )  
VCall( $b, g, l_8, m_3$ )  
Reachable( $m_3$ )

InterProcAssign( $v, s$ )  
InterProcAssign( $v, t$ )  
InterProcAssign( $d, v$ )  
InterProcAssign( $e, v$ )  
VarPointsTo( $v, l_2$ )  
VarPointsTo( $v, l_3$ )  
VarPointsTo( $d, l_2$ )  
VarPointsTo( $d, l_3$ )  
VarPointsTo( $e, l_2$ )  
VarPointsTo( $e, l_3$ )

# Input and Output Relations

- Input relations

$\text{Alloc}(var : V, heap : H, inMeth : M)$

$\text{Move}(to : V, from : V)$

$\text{Load}(to : V, base : V, fld : F)$

$\text{Store}(base : V, fld : F, from : V)$

$\text{VCall}(base : V, sig : S, invo : I, inMeth : M)$

$\text{FormalArg}(meth : M, i : \mathbb{N}, arg : V)$

$\text{ActualArg}(invo : I, i : \mathbb{N}, arg : V)$

$\text{FormalReturn}(meth : M, ret : V)$

$\text{ActualReturn}(invo : I, var : V)$

$\text{ThisVar}(meth : M, this : V)$

$\text{HeapType}(heap : H, type : T)$

$\text{LookUp}(type : T, sig : S, meth : M)$

- Output relations

$\text{VarPointsTo}(var : V, heap : H)$

$\text{FldPointsTo}(baseH : H, fld : F, heap : H)$

$\text{InterProcAssign}(to : V, from : V)$

$\text{CallGraph}(invo : I, meth : M)$

$\text{Reachable}(meth : M)$

# Analysis Rules

- (1)  $\text{VarPointsTo}(var, heap) \leftarrow \text{Reachable}(meth), \text{Alloc}(var, heap, meth)$
- (2)  $\text{VarPointsTo}(to, heap) \leftarrow$   
 $\text{Move}(to, from), \text{VarPointsTo}(from, heap)$
- (3)  $\text{FldPointsTo}(baseH, fld, heap) \leftarrow$   
 $\text{Store}(base, fld, from), \text{VarPointsTo}(from, heap), \text{VarPointsTo}(base, baseH)$
- (4)  $\text{VarPointsTo}(to, heap) \leftarrow$   
 $\text{Load}(to, base, fld), \text{VarPointsTo}(base, baseH), \text{FldPointsTo}(baseH, fld, heap)$
- (5)  $\text{InterProcAssign}(to, from) \leftarrow$   
 $\text{CallGraph}(invo, meth), \text{FormalArg}(meth, n, to), \text{ActualArg}(invo, n, from)$
- (6)  $\text{InterProcAssign}(to, from) \leftarrow$   
 $\text{CallGraph}(invo, meth), \text{FormalReturn}(meth, from), \text{ActualReturn}(invo, to)$
- (7)  $\text{VarPointsTo}(to, heap) \leftarrow$   
 $\text{InterProcAssign}(to, from), \text{VarPointsTo}(from, heap)$

# Analysis Rules

(8)  $\text{Reachable}(toMeth),$

$\text{VarPointsTo}(this, heap),$

$\text{CallGraph}(invo, toMeth) \leftarrow$

$\forall \text{Call}(base, sig, invo, inMeth), \text{Reachable}(inMeth),$

$\text{VarPointsTo}(base, heap),$

$\text{HeapType}(heap, heapT), \text{LookUp}(heapT, sig, toMeth),$

$\text{ThisVar}(toMeth, this)$

- This analysis performs **on-the-fly call-graph construction.** Pointer analysis and call-graph construction are closely inter-connected in object-oriented and higher-order languages. For example, to resolve call `obj.fun()`, we need pointer analysis. To compute points-to set of `a` in `f(Object a) { ... }`, we need call-graph.

$\text{FormalArg}(m_1, 0, v)$				
$\text{FormalReturn}(m_1, v)$				
$\text{ThisVar}(m_1, \text{self})$	(1)			
$\text{LookUp}(C, id, m_1)$	$\longrightarrow$	$\text{VarPointsTo}(b, l_6)$	(8)	$\text{Reachable}(m_2)$
$\text{ThisVar}(m_2, \text{self})$				$\text{VarPointsTo}(self, l_6)$
$\text{LookUp}(B, g, m_2)$				(1) $\longrightarrow$ $\text{CallGraph}(l_7, m_2)$
$\text{Alloc}(c, l_1, m_2)$		$\text{Reachable}(m_1)$		$\text{CallGraph}(l_8, m_2)$
$\text{Alloc}(s, l_2, m_2)$	(8)	$\text{VarPointsTo}(\text{self}, l_1)$	(5), (6)	$\text{InterProcAssign}(v, s)$
$\text{Alloc}(t, l_3, m_2)$	$\longrightarrow$	$\text{CallGraph}(l_4, m_1)$	$\longrightarrow$	$\text{InterProcAssign}(v, t)$
$\text{HeapType}(l_1, C)$		$\text{CallGraph}(l_5, m_1)$		(7) $\longrightarrow$ $\text{VarPointsTo}(v, l_2)$
$\text{HeapType}(l_2, D)$				$\text{InterProcAssign}(d, v)$
$\text{HeapType}(l_3, E)$				$\longrightarrow$ $\text{VarPointsTo}(v, l_3)$
$\text{VCall}(c, id, l_4, m_2)$		$\text{VarPointsTo}(d, l_2)$		$\text{InterProcAssign}(e, v)$
$\text{VCall}(c, id, l_5, m_2)$	(7)	$\text{VarPointsTo}(d, l_3)$		
$\text{ActualArg}(l_4, 0, s)$	$\longrightarrow$	$\text{VarPointsTo}(e, l_2)$		
$\text{ActualArg}(l_5, 0, t)$		$\text{VarPointsTo}(e, l_3)$		
$\text{ActualReturn}(l_4, d)$				
$\text{ActualReturn}(l_5, e)$				
$\text{ThisVar}(m_3, \text{self})$				
$\text{LookUp}(A, f, m_3)$				
$\text{Alloc}(b, l_6, m_3)$				
$\text{HeapType}(l_6, B)$				
$\text{VCall}(b, g, l_7, m_3)$				
$\text{VCall}(b, g, l_8, m_3)$				
$\text{Reachable}(m_3)$				

```

class C:
    def id(self, v): // m1
        return v

class B:
    def g(self): // m2
        c = C() // 11
        s = D() // 12
        t = E() // 13
        d = c.id(s) // 14
        e = c.id(t) // 15

class A:
    def f(self): // m3
        b = B() // 16
        b.g() // 17
        b.g() // 18
    
```

# Context Sensitivity

class C:		VarPointsTo( $b, \star, l_6, \star$ )
def id(self, v): // m1		VarPointsTo( $self, l_7, l_6, \star$ )
return v		VarPointsTo( $self, l_8, l_6, \star$ )
class B:		VarPointsTo( $c, l_7, l_1, \star$ )
def g(self): // m2		VarPointsTo( $s, l_7, l_2, \star$ )
c = C() // 11		VarPointsTo( $t, l_7, l_3, \star$ )
s = D() // 12		VarPointsTo( $c, l_8, l_1, \star$ )
t = E() // 13		VarPointsTo( $s, l_8, l_2, \star$ )
d = c.id(s) // 14		VarPointsTo( $t, l_8, l_3, \star$ )
e = c.id(t) // 15		VarPointsTo( $self, l_4, l_1, \star$ )
class A:		VarPointsTo( $self, l_5, l_1, \star$ )
def f(self): // m3		VarPointsTo( $v, l_4, l_2, \star$ )
b = B() // 16		VarPointsTo( $v, l_5, l_3, \star$ )
b.g() // 17		VarPointsTo( $d, l_7, l_2, \star$ )
b.g() // 18		VarPointsTo( $d, l_8, l_2, \star$ )
		VarPointsTo( $e, l_7, l_3, \star$ )
		VarPointsTo( $e, l_8, l_3, \star$ )
	context-insensitive	context-sensitive

# Domains

$V$ : the set of program variables

$H$ : the set of allocation sites

$F$ : the set of field names

$M$ : the set of method identifiers

$S$ : the set of method signatures

$I$ : the set of instructions

$T$ : the set of class types

$\mathbb{N}$ : the set of natural numbers

$C$ : a set of calling contexts

$HC$ : a set of heap contexts

# Output Relations

- The output relations are modified to add contexts:

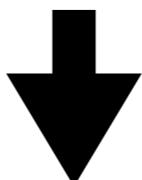
$\text{VarPointsTo}(var : V, heap : H)$

$\text{FldPointsTo}(baseH : H, fld : F, heap : H)$

$\text{InterProcAssign}(to : V, from : V)$

$\text{CallGraph}(invo : I, meth : M)$

$\text{Reachable}(meth : M)$



$\text{VarPointsTo}(var : V, ctx : C, heap : H, hctx : HC)$

$\text{FldPointsTo}(baseH : H, baseHCtx : HC, fld : F, heap : H, hctx : HC)$

$\text{InterProcAssign}(to : V, toCtx : C, from : V, fromCtx : C)$

$\text{CallGraph}(invo : I, callerCtx : C, meth : M, calleeCtx : C)$

$\text{Reachable}(meth : M, ctx : C)$

# Context Constructors

- Different choices of constructors yield different context-sensitivity flavors

**Record**( $heap : H, ctx : C$ ) =  $newHCtx : HC$

**Merge**( $heap : H, hctx : HC, invo : I, ctx : C$ ) =  $newCtx : C$

- **Record** generates heap contexts
- **Merge** generates calling contexts

# Analysis Rules

**Record**( $heap, ctx$ ) =  $hctx$ ,

**VarPointsTo**( $var, ctx, heap, hctx$ )  $\leftarrow$

Reachable( $meth, ctx$ ), Alloc( $var, heap, meth$ )

**VarPointsTo**( $to, ctx, heap, hctx$ )  $\leftarrow$

Move( $to, from$ ), **VarPointsTo**( $from, ctx, heap, hctx$ )

**FldPointsTo**( $baseH, baseHCtx, fld, heap, hctx$ )  $\leftarrow$

Store( $base, fld, from$ ), **VarPointsTo**( $from, ctx, heap, hctx$ ),

**VarPointsTo**( $base, ctx, baseH, baseHCtx$ )

**VarPointsTo**( $to, ctx, heap, hctx$ )  $\leftarrow$

Load( $to, base, fld$ ), **VarPointsTo**( $base, ctx, baseH, baseHCtx$ ),

**FldPointsTo**( $baseH, baseHCtx, fld, heap, hctx$ )

# Analysis Rules

**Merge**( $heap, hctx, invo, callerCtx$ ) =  $calleeCtx$ ,  
**Reachable**( $toMeth, calleeCtx$ ),  
**VarPointsTo**( $this, calleeCtx, heap, hctx$ ),  
**CallGraph**( $invo, callerCtx, toMeth, calleeCtx$ )  $\leftarrow$   
    **VCall**( $base, sig, invo, inMeth$ ), **Reachable**( $inMeth, callerCtx$ ),  
    **VarPointsTo**( $base, callerCtx, heap, hctx$ ),  
    **HeapType**( $heap, heapT$ ), **LookUp**( $heapT, sig, toMeth$ ),  
    **ThisVar**( $toMeth, this$ )

# Analysis Rules

$\text{InterProcAssign}(to, calleeCtx, from, callerCtx) \leftarrow$   
 $\text{CallGraph}(invo, callerCtx, meth, calleeCtx),$   
 $\text{FormalArg}(meth, n, to), \text{ActualArg}(invo, n, from)$

$\text{InterProcAssign}(to, callerCtx, from, calleeCtx) \leftarrow$   
 $\text{CallGraph}(invo, callerCtx, meth, calleeCtx),$   
 $\text{FormalReturn}(meth, from), \text{ActualReturn}(invo, to)$

$\text{VarPointsTo}(to, toCtx, heap, hctx) \leftarrow$   
 $\text{InterProcAssign}(to, toCtx, from, fromCtx),$   
 $\text{VarPointsTo}(from, fromCtx, heap, hctx)$

# Call-Site Sensitivity

- The best-known flavor of context sensitivity, which uses call-sites as contexts.
- A method is analyzed under the context that is a sequence of the last  $k$  call-sites
  - The current call-site of the method, the call-site of the caller method, the call-site of the caller method's caller, ..., up to a pre-defined depth ( $k$ )

# Call-Site Sensitivity

- 1-call-site sensitivity with context-insensitive heap:

$$C = I, \quad HC = \{ \star \}$$

**Record**(*heap, ctx*) =  $\star$

**Merge**(*heap, hctx, invo, ctx*) = *invo*

- 1-call-site sensitivity with context-sensitive heap:

$$C = I, \quad HC = I$$

**Record**(*heap, ctx*) = *ctx*

**Merge**(*heap, hctx, invo, ctx*) = *invo*

- 2-call-site sensitivity with 1-call-site sensitive heap:

$$C = I \times I, \quad HC = I$$

**Record**(*heap, ctx*) = *first(ctx)*

**Merge**(*heap, hctx, invo, ctx*) = *pair(invo, first(ctx))*

# Object Sensitivity

- The dominant flavor of context sensitivity for object-oriented languages
- Object abstractions (i.e., allocation sites) are used as contexts, qualifying a method's local variables with the allocation site of the receiver object of the method call.

```
class A:  
    def m(self):  
        return  
  
a = A() // 11  
a.m() // 12
```

# Object Sensitivity

- 1-object sensitivity with context-insensitive heap:

$$C = H, \quad HC = \{ \star \}$$

**Record**(*heap, ctx*) =  $\star$

**Merge**(*heap, hctx, invo, ctx*) = *heap*

- 2-object sensitivity with 1-call-site sensitive heap:

$$C = H \times H, \quad HC = H$$

**Record**(*heap, ctx*) = *first(ctx)*

**Merge**(*heap, hctx, invo, ctx*) = *pair(heap, hctx)*

# Example

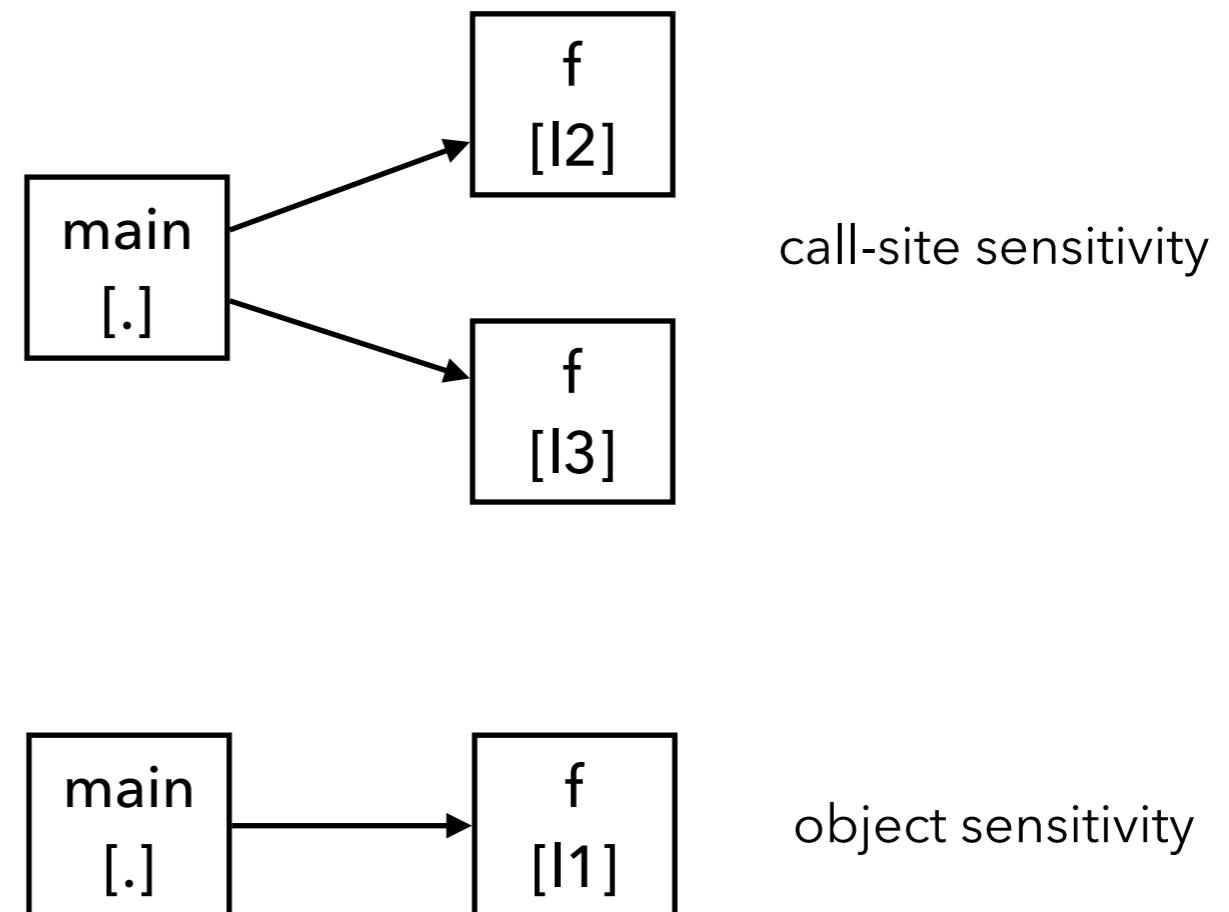
- 2-object sensitivity with 1-call-site sensitive heap:

```
class C:  
    def h(self):  
        return  
  
class B:  
    def g(self):  
        c = C()          // 13, heap objects: (13, [11]), (13, [12])  
        c.h()           // contexts: (13, 11), (13, 12)  
  
class A:  
    def f(self):  
        b1 = B()        // 11  
        b2 = B()        // 12  
        b1.g()          // context: 11  
        b2.g()          // context: 12
```

# Call-site vs. Object Sensitivity

- Typical example that benefits from call-site sensitivity:

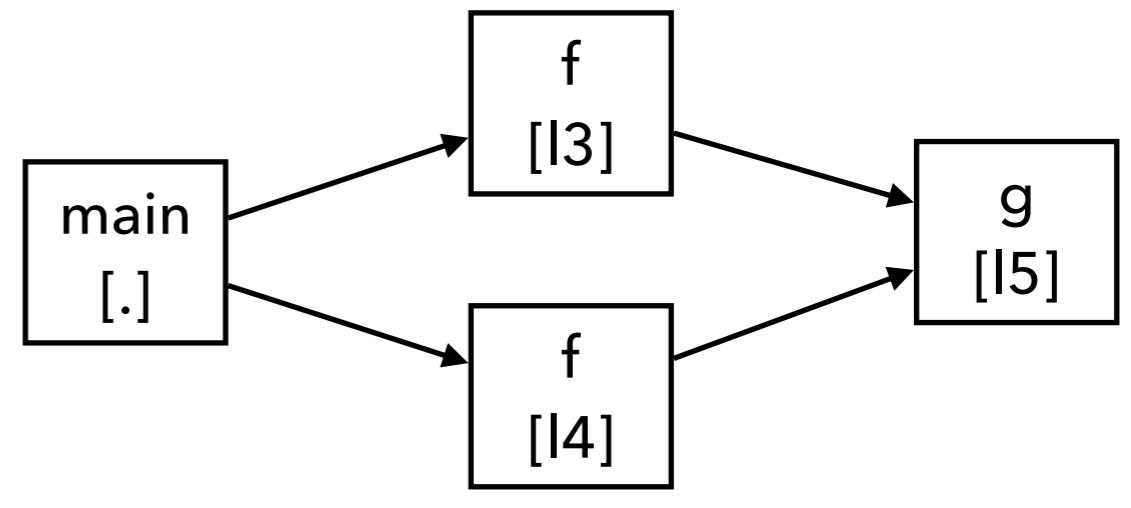
```
class A:  
    def f(self): return  
  
def main():  
    a = A()    // 11  
    a.f()      // 12  
    a.f()      // 13
```



# Call-site vs. Object Sensitivity

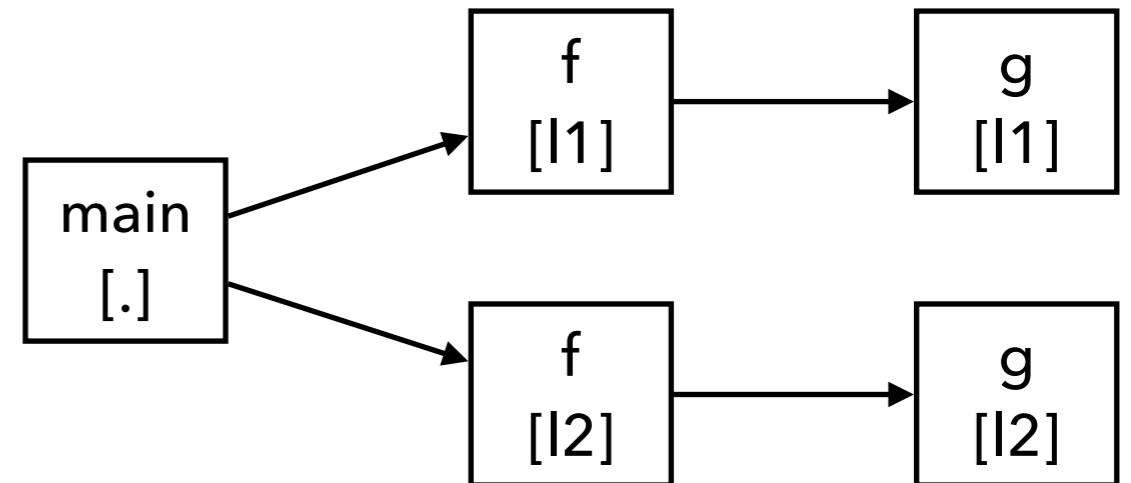
- Typical example that benefits from object sensitivity:

```
class A:  
    def g(self):  
        return  
    def f(self):  
        return self.g() // 15
```



1-call-site sensitivity

```
def main():  
    a = A() // 11  
    b = A() // 12  
    a.f() // 13  
    b.f() // 14
```



1-object sensitivity

# Summary

- Covered a number of key concepts in static analysis
  - Pointer analysis
  - Constraint-based analysis
  - Interprocedural analysis
  - Analysis of higher-order programs
  - Context sensitivity